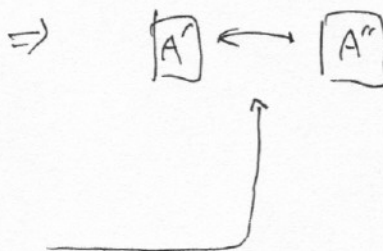
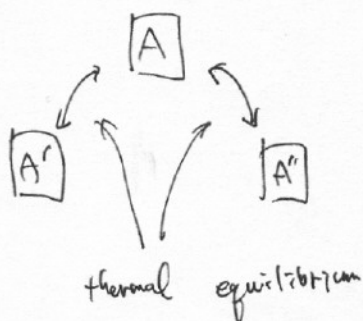


(3) Thermodynamic laws

Q4: ~~Q4~~

1st :

isolated system $\rightarrow \bar{E} = \text{constant}$ interacting with
other system $\rightarrow$

$$\Delta \bar{E} = Q - W$$

 $\bar{Q}$
absorbed
heat

 $\bar{W}$
work done by
system.

2nd.

thermally isolated system: $\Delta S \geq 0$
 (quasi static infinitesimal : $ds = \frac{\delta Q}{T}$
 process
3rd : $T \rightarrow 0+$, $S \rightarrow S_0$

Note: The above laws will be covered by

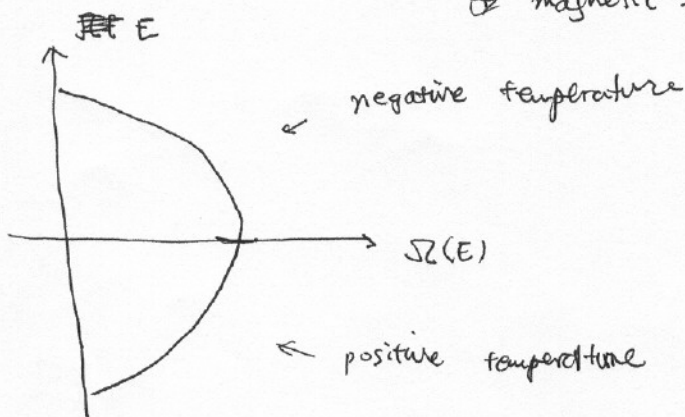
Statistical mechanics. (Chap. 6)

(4) Others.

① Negative temperature

In usual situation where $\Omega(E) \sim E^f$,
we have positive temperature.

But, in spin systems (spin degrees of freedom only)
⊕ magnetic field ⊕ spin-spin interaction
is neglected.



(eg. three spins)

② Information theory / Quantum information theory. → more discussion
in the course 3.
(?)

Another definition of entropy

$$S = -k \sum P_r \ln P_r, \quad (\text{chap. 6})$$

$\sum_{r=1}^n P_r \ln P_r$ can be used as a measure of
nonrandomness or information.

$$\text{(ex)} \quad P_r = \begin{cases} 1 & r=r' \\ 0 & \text{otherwise} \end{cases} \Rightarrow \sum P_r \ln P_r = 0$$

$$P_r = \frac{1}{n} \text{ for all } r \Rightarrow \sum P_r \ln P_r = -\frac{1}{n} \ln n \times n = -\ln n$$

Quantum information: $S \sim$ measure of entanglement.

③ back to H theorem.